

BUILDING AERODYNAMICS

BME GEÁT MW08

Wind in the atmosphere



The atmospheric boundary layer





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Hurricane (Atlantic Ocean), typhoon (Indian Ocean), Cyclone (Pacific Ocean)



The tropical cyclone *Catarina* near the shore of Brazil, photographerd from the International Space Station, March 26, 2004

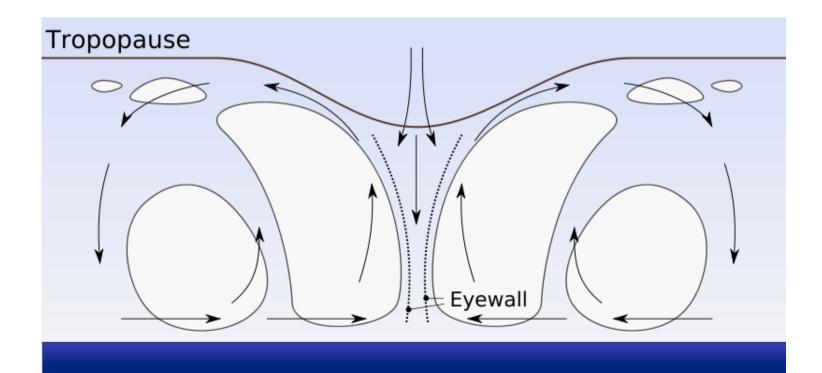


Eye of hurricane 'Katrina' Aug 28, 2005 photographed from an airplane.

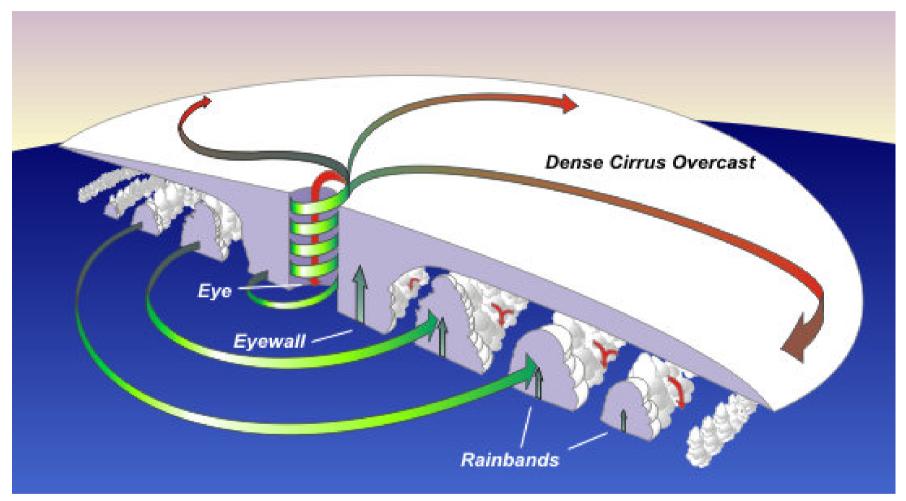


- From 26°C ocean temperature > very high evaporation
- Warm air transported by convection up to the tropopuse
 ⇒ condensation ⇒ relase of latent heat ⇒ further heating further uprise ⇒ low pressure at the sea surface ⇒ inducing strong horizontal flows to the eye (positive feedback)
- Warm dry air is entering the centre from above

 → the hurricane's eye
- Pressure difference 50 100mbar compared to the environment
- A hurrican is a thermodynamic machine cooling the ocean and transporting heat and moisture into the higher levels of the atmosphere

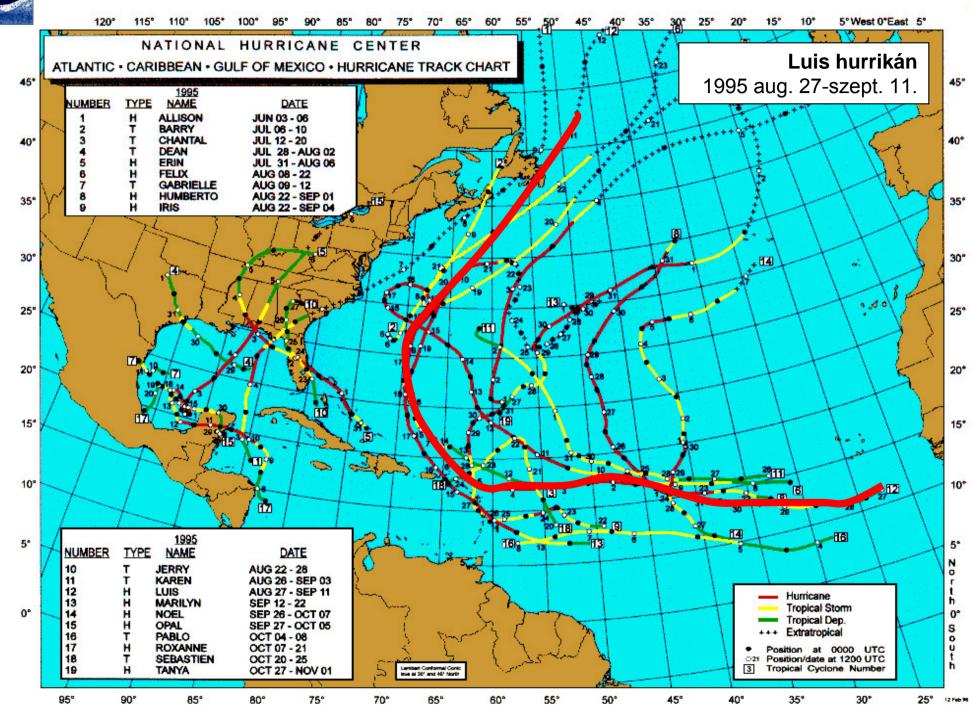




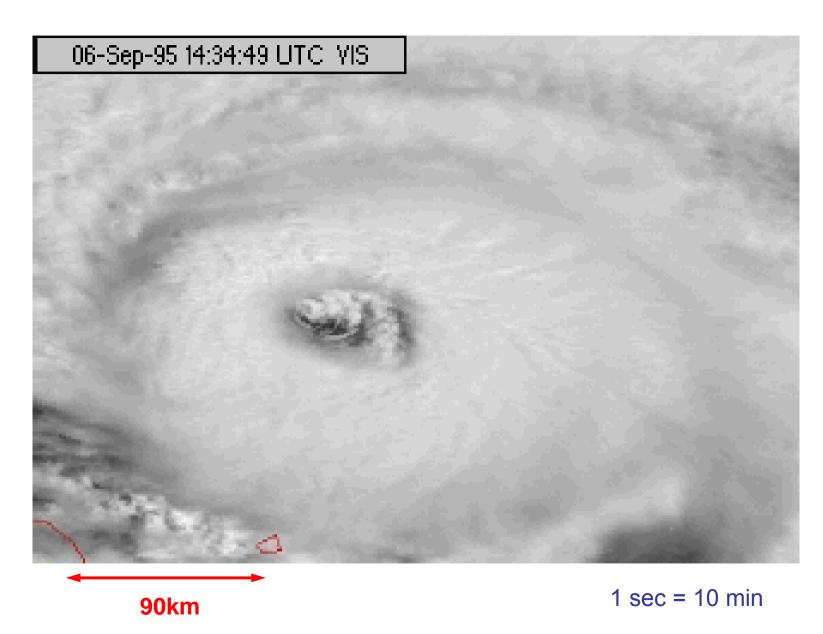


- Eye 15-40 km diamater
- Eyewalls: max. speed 200-300 km/h. Moving velocity: 20-30km/h
- High level outflow is counter-rotating
- if reaching solid terrain, the driving force, latent heat transport is prohibited
- If heading north, gets weakes and turns into an extratropical storm.

10





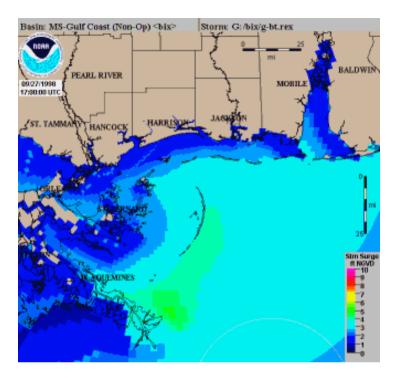


Hurrrivane Luis, Sept 1995



The effects

- Wind damage (Épület, autók stb.)
- 15-20m waves on the shore
- Low pressure elevates water level
- High participation (300 mm/24h, Texas, 1921: 750mm!! – difficult to measure)
- ⇒ floodings (+ 5m)



National Hurricane Center (USA) szimulációja

Hurricane watch:

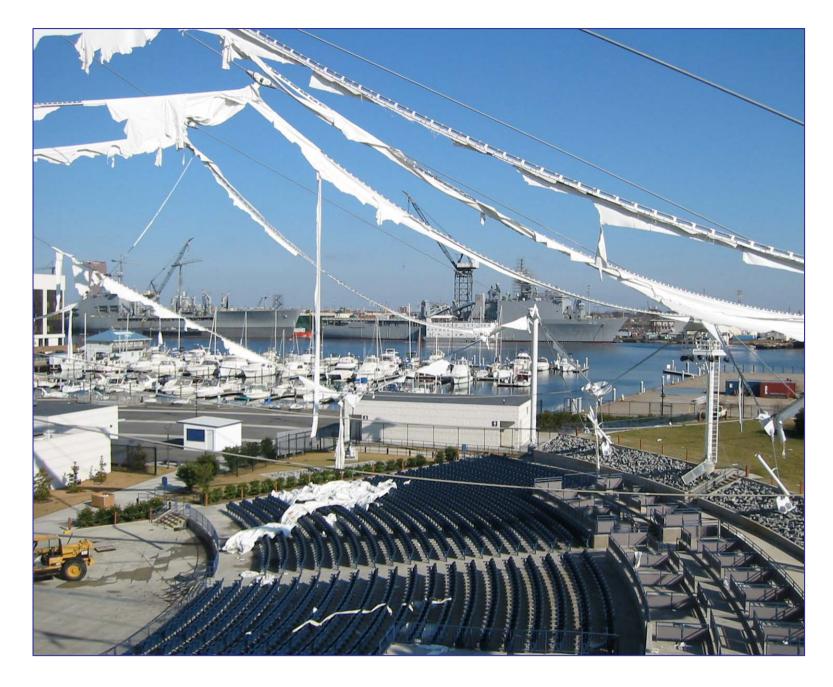
- Meteorological radar (from the 1950's), satellites (from the 1970's),
- Fly-in with manned or unmanned airplanes, to measure wind speed and pressures (dropsondes)
- Hurricane season: July September
- 100 tropical lows annaually, from which 6-7 develop to hurricanes (wind higher than Beaufort 12)
- Global climate change: oceans getting hotter (T< 26 C) ⇒ higher probability!





Open ait theatre with tensile fabric roof (St Augustine, Florida, USA)





Open air theatre destroyed by a hurricane (Porthsmouth, Virginia, USA)



HURRICANE OBSERVATIONS

Unmanned Aerial vehicle
Dropsonde (vertical profiling)

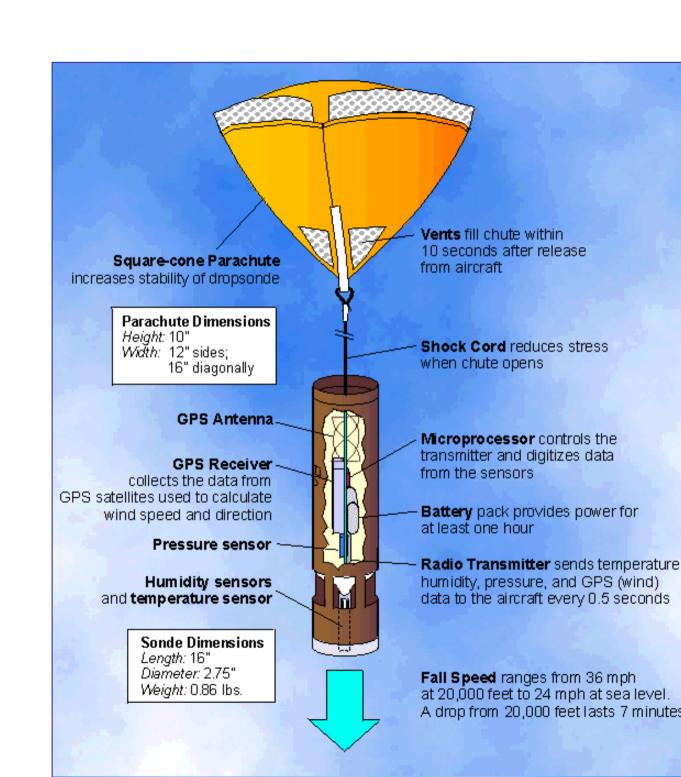




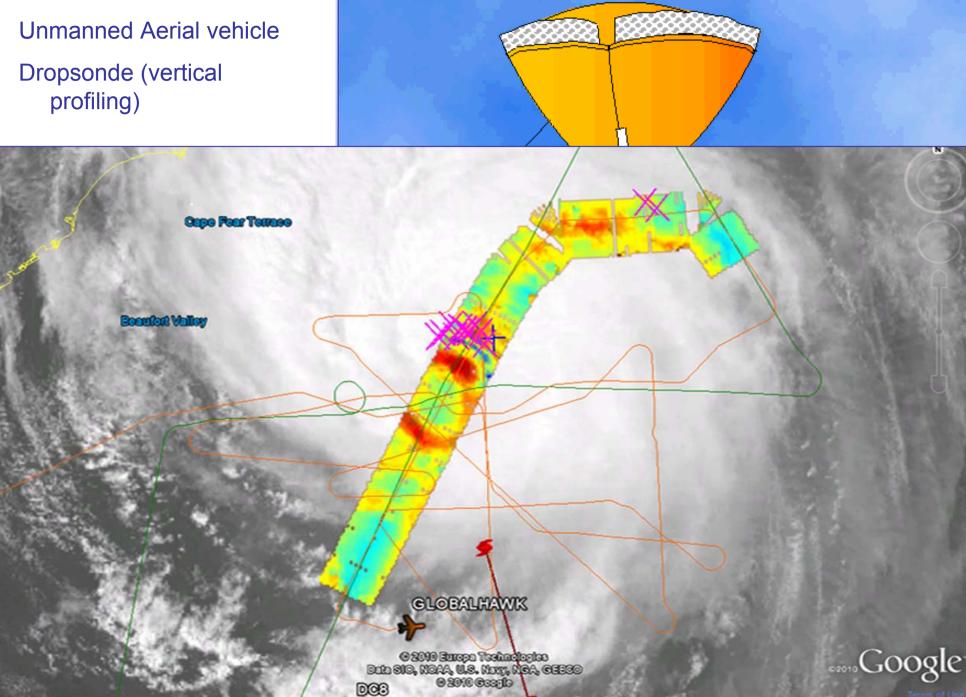
HURRICANE OBSERVATIONS

Unmanned Aerial vehicle

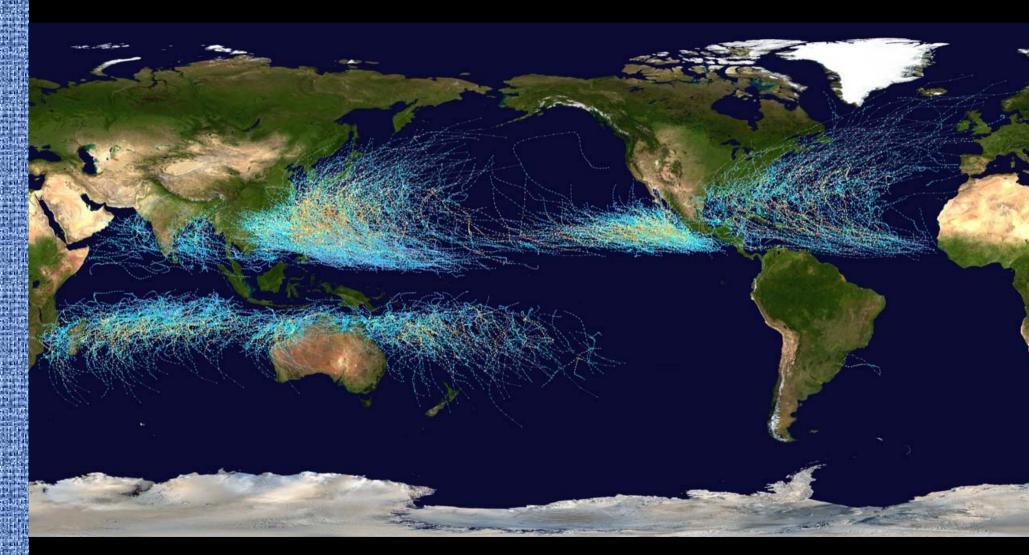
Dropsonde (vertical profiling)











Hurricane paths 1985-2005

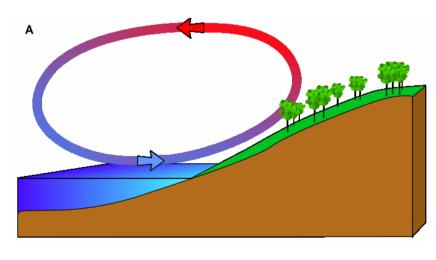


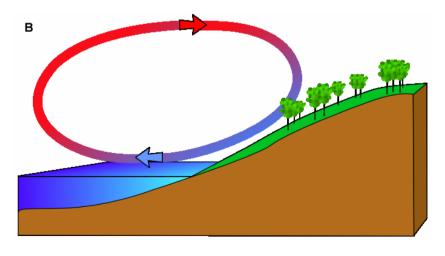
- sea winds
- Urban winds
- orographic winds

different albedo, heat capacity of surfaces and consequently varying temperature of air

⇒ daily periodocity

Can be strengthened by other effects: e.g: bora





morning

evening



LOCAL WINDS

Orographic wind

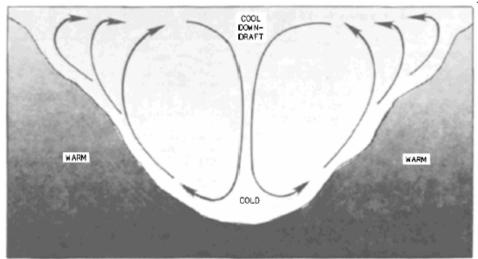
In the morning: southern slopes ⇒ warm updraft: wind from the valley

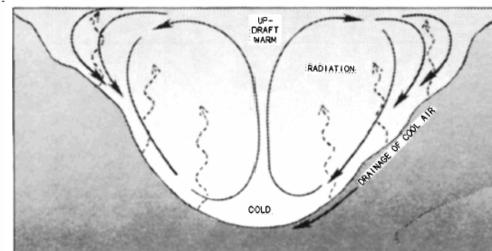
Anabatic wind

• In the late afternon: faster cooldown of slopes due to radiation (effect stronger without forest coverage) ⇒ cold downdrafts

Catabatic wind

Thin layer of wind (some meters – some 10 meters), 2-4 m/s max. speed (can be blocked by buildings)







REGIONAL WINDS

Desert winds:

Cyclones generated above desert areas (high T)

and modified by local effects

Scirocco: Mediterranean sea

Samum: Palestine

Khamsin,

haboob: Egypt (causing transport of sand

to the Alps - blood rain)

Brickfielder: Australia (very dry hot wind)

Pampero: Argentina



Mistral: catabatic wind strengthened by orographic effects in the valley of the

Rhone river. (Bay of Biscaya, Western Franc: anticyclonic = high

pressure, Gulf of Genova: low pressure)

Buran: eastern Asian cyclone, snow storm

Bora: High speed wind at the NE shore of Adriatic Sea coming from the

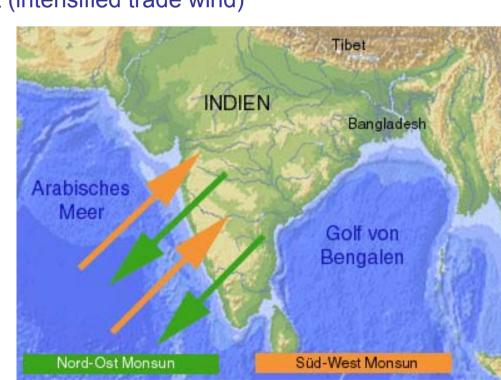
mountains (up to 200km/h wind speed, and 14 days of endurance)



WINDS MODIFYING THE PLANETARY CIRCULATION

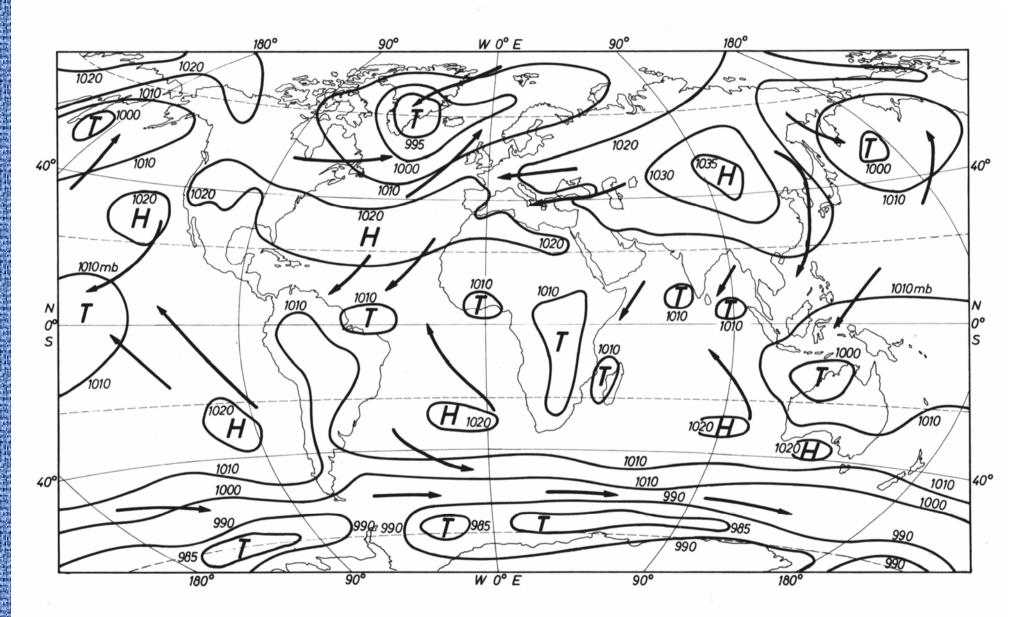
Monsoon (- circulation)

- Seasonal reversing wind with annual changes of wind direction 2x a year (min. 120°)
- cause: ITCZ and asymmetric heating of land and sea
- Low pressure areas above desert areas in summer (Indus-plain, Tibetian highlands, Siberia) ⇒ ITCZ is moved towards the north
- Southeast trade winds turn to southwest (Coriolis force!) and transport moist air to the land.
- In winter: cold dry winds from northeast (intensified trade wind)
- Orographic effects: pld. Himalaya
- Monsoon:
 - North-Australia
 - West Africa
 - India
 - East-Asia
 - Gulf of Mexico (weak)





GLOBAL ATMOSPHERIC CIRCULATION - SUMMARY

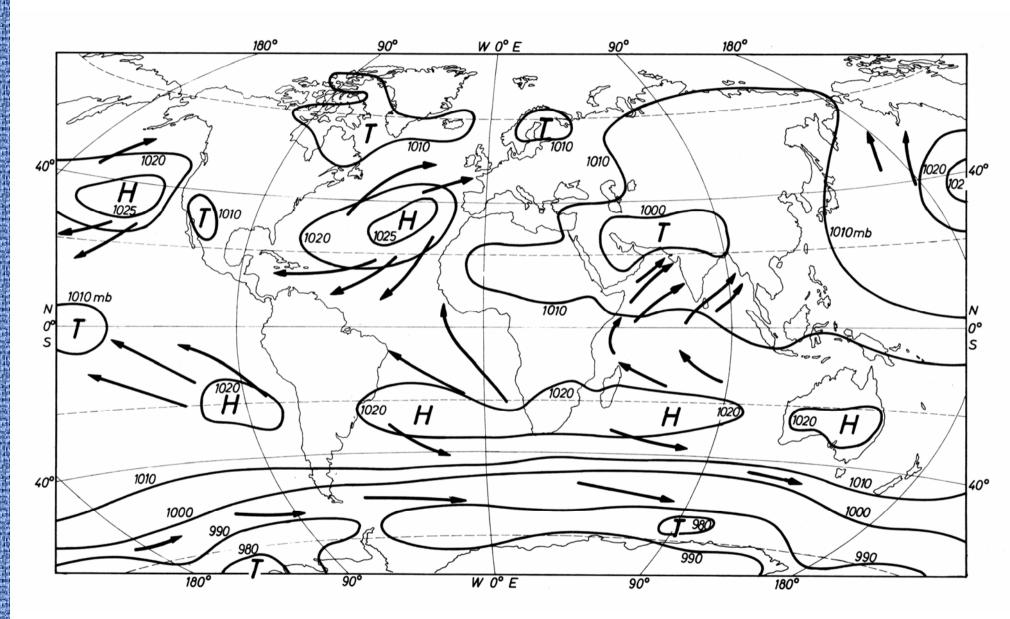


Surface wind directions ans pressure in **January** (Weischet, 1977)

T: low pressure; H: high pressure



GLOBAL ATMOSPHERIC CIRCULATION - SUMMARY



Surface wind directions ans pressure in **July** (Weischet, 1977)

T: low pressure; H: high pressure

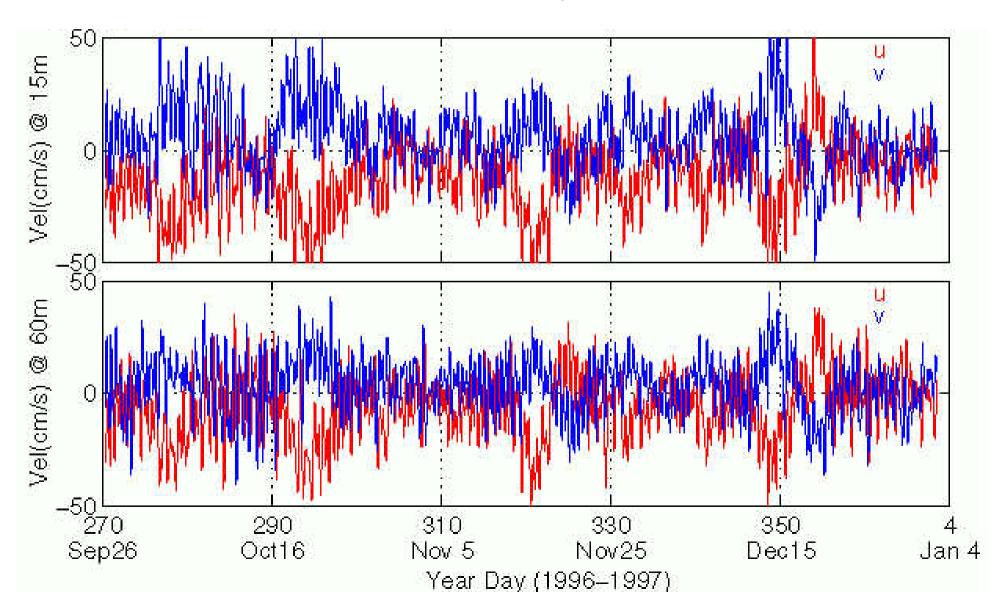


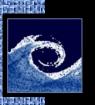
WIND SPEED FLUCTUATIONS

High temporal variability of wind speed and direction

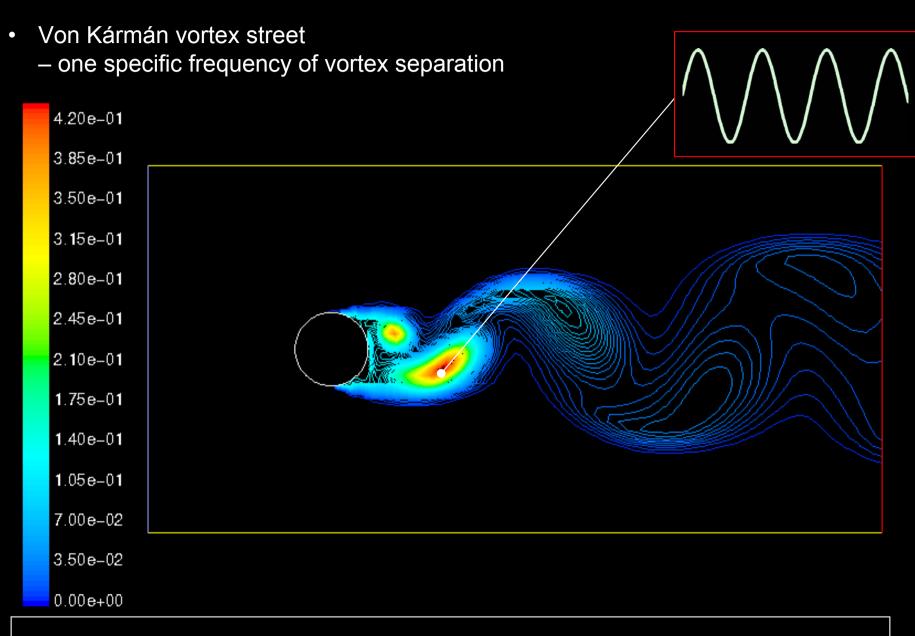
 $V(\underline{r},t) = \begin{bmatrix} u \\ v \\ w \end{bmatrix} (\underline{r},t)$

• Wind observations in a fixed observation point:





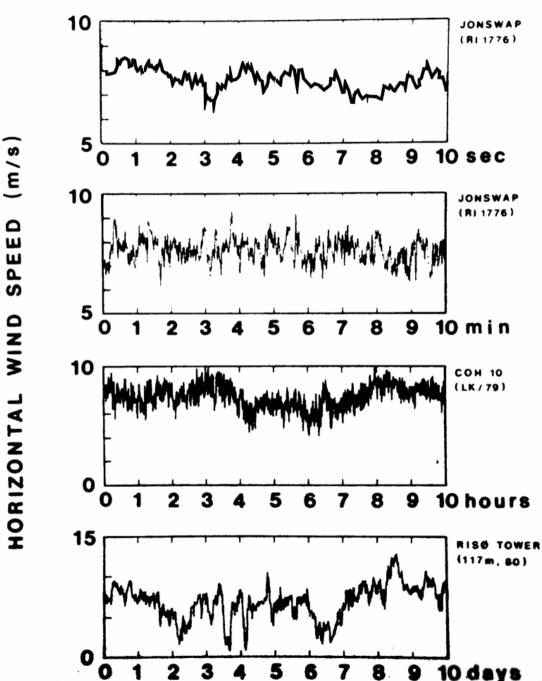
EXAMPLE OF STRUCTURES CAUSING WIND FLUCTUATIONS



Contours of Volume fraction of water-vapor (Time=2.8400e+02) Sep 20, 2000 FLUENT 5.2 (2d, segregated, lam, unsteady)



ATMOSPHERIC TURBULENCE



- Mixture of frequencies
- Signalling the pass of vortices of different size
- Max. freq: some Hz (T = 0.1s)
- spectral analysis useful



FREQUENCY ANALYSIS OF SIGNALS

Transformation from time domain to frequency domain:

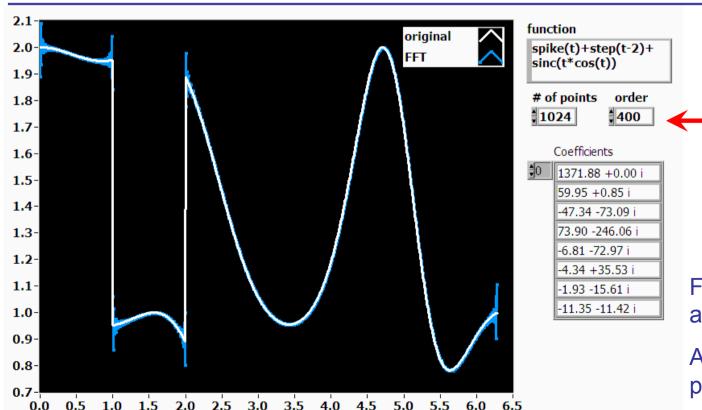
$$f(t) \Rightarrow F(\omega)$$

Euler formula: $e^{2\pi i\theta} = \cos(2\pi\theta) + i \cdot \sin(2\pi\theta)$

Fourier-transformation:

Conversion to time domain:

$$F(\omega) = \int_{-\infty}^{+\infty} f(t) \cdot e^{-2\pi i\omega t} dt \qquad f(t) = \int_{-\infty}^{+\infty} F(\omega) \cdot e^{2\pi i\omega t} d\omega$$

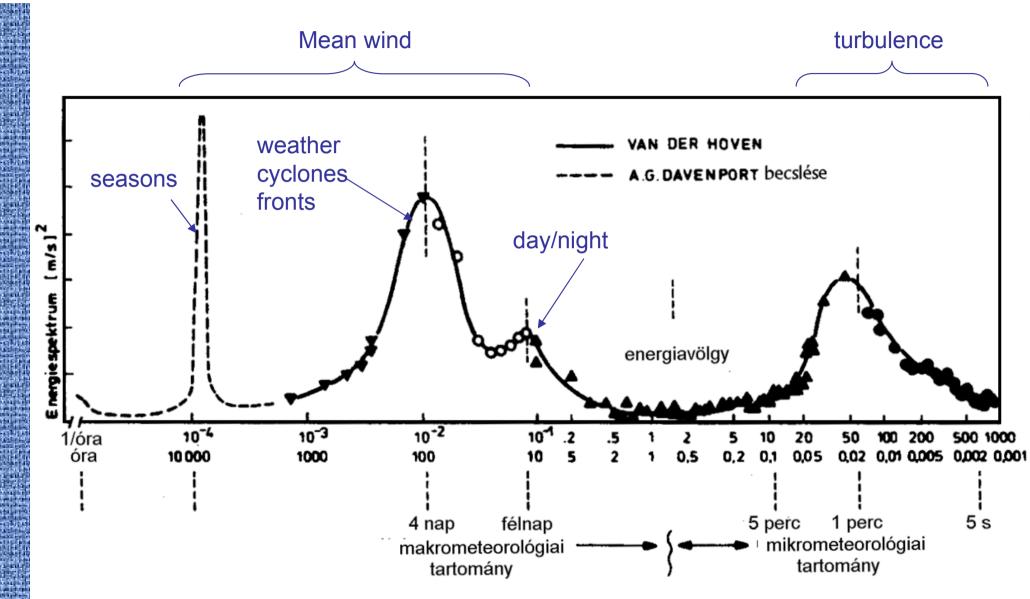


 $F(\omega)$ complex function: amplitude and phase

Az ampl. squared: powers spectrum



WIND POWER SPECTRUM



- shows the contribution of met. Scales to the wind genesis
- right section of the plotis important when addressing building aerodynamics



DESCRIPTION OF TURBULENT FLOWS

$$\underline{\mathbf{V}}(\mathbf{r},t) = \mathbf{u}(\mathbf{r},t) \cdot \mathbf{i} + \mathbf{v}(\mathbf{r},t) \cdot \mathbf{j} + \mathbf{w}(\mathbf{r},t) \cdot \mathbf{k}$$

Mean wind:

$$\overline{u(r,t)} = \overline{u(r)} = \frac{1}{T} \int_{0}^{T} u(r,t) dt$$

Similarly:

 $\overline{v(\underline{r})}$

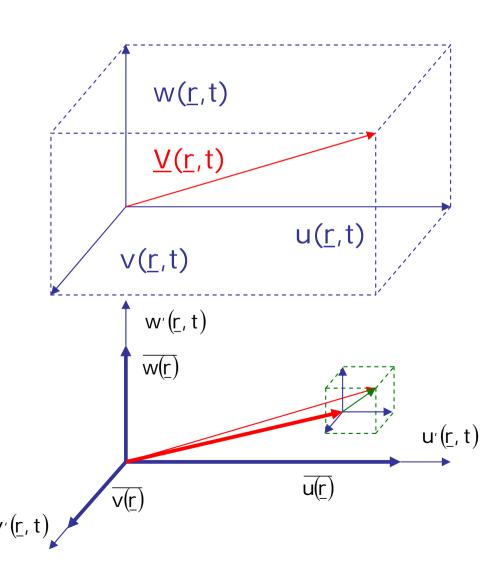
 $\overline{w(\underline{r})}$

Velocity fluctuation:

$$u'(r,t) = u(r,t) - \overline{u(r)}$$

Similarly:

$$v'(\underline{r}, t)$$
 $w'(\underline{r}, t)$





DESCRIPTION OF TURBULENT FLOWS

Temporal average of fluctuations:

$$\overline{u'(\underline{r})} = \frac{1}{T} \int_{0}^{T} u'(\underline{r}, t) dt = 0$$

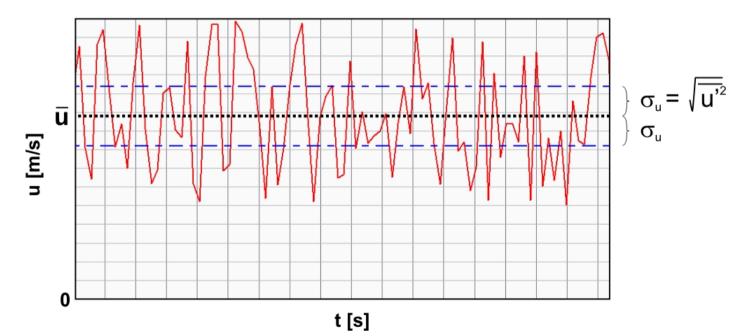
$$\overline{v'(\underline{r})} = 0$$

$$\overline{v'(\underline{r})} = 0$$
 $\overline{w'(\underline{r})} = 0$

Root mean square of fluctuations:

$$\overline{u'^{2}(r,t)} = \frac{1}{T} \int_{0}^{T} u'^{2}(r,t) dt = \frac{1}{T} \int_{0}^{T} (u(r,t) - \overline{u(r)})^{2} dt = \sigma_{u}^{2}(r)$$

Root mean square of fluctuations = squared deviation of velocity

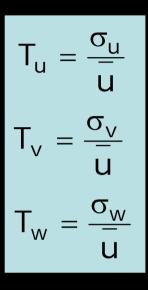




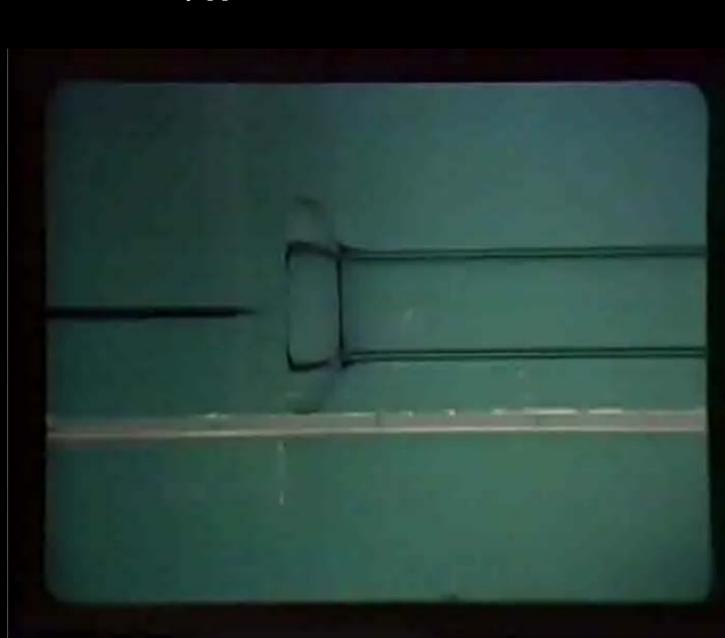
DEFINITION OF TURBULENCE INTENSITY



Quotient of stnadard deviation and mean wind velocity [-]



- Laminar flows: very low turbulence intensity
- Growing flow velocity: high turbulence (shown by stronger mixing)





TURBULENT KINETIC ENERGY

Kinetic energy of an elementar mass:

$$\frac{\mathbf{E}(\mathbf{t})}{\mathbf{m}} = \frac{1}{2} \left| \underline{\mathbf{V}}(\mathbf{t}) \right|^2$$

Average kinetic energy:

$$\frac{\overline{\mathbf{E}(\mathbf{t})}}{\mathbf{m}} = \frac{1}{2} |\overline{\mathbf{V}(\mathbf{t})}|^2$$

$$\frac{\overline{E(t)}}{m} = \frac{1}{2} \overline{\left(u^2 + v^2 + w^2\right)} =$$

$$|\overline{u(r)}^2 + \sigma_u^2(r) = \overline{u^2(r)}|$$

$$\frac{1}{2} \left(\overline{u}^{2} + \sigma_{u}^{2} + \overline{v}^{2} + \sigma_{v}^{2} + \overline{w}^{2} + \sigma_{w}^{2} \right)$$

Kinetic energy of the mean flow:

$$\frac{E_{\text{össz}}}{m} = \frac{E_{\text{átlag}}}{m} = \frac{1}{2} \left(\overline{u}^2 + \overline{v}^2 + \overline{w}^2 \right)$$

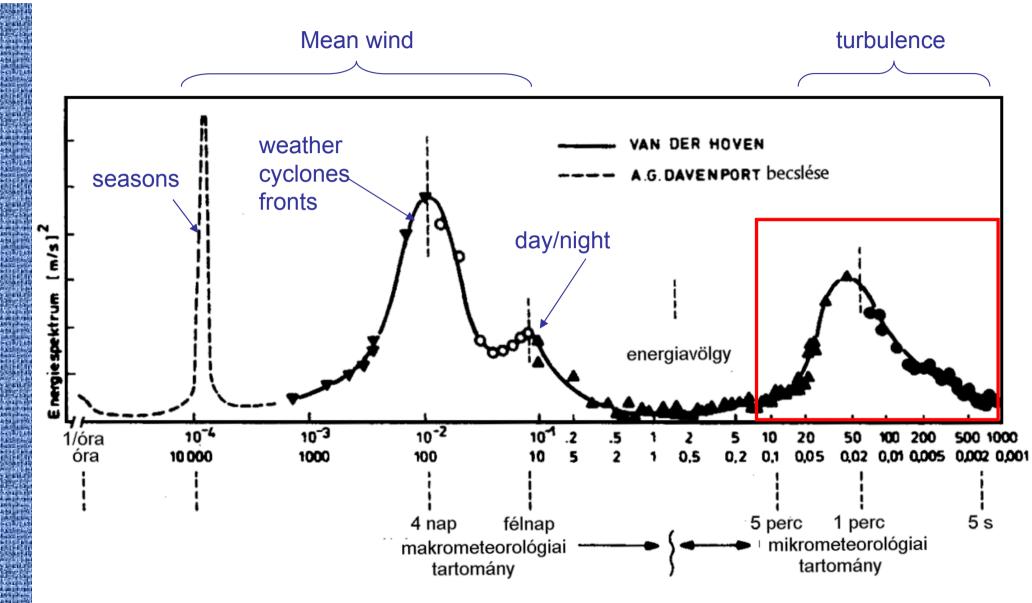
Kinetic energy of fluctutations (turbulent kinetic energy, TKE):

$$+ \frac{TKE}{m} = \frac{1}{2} \left(\sigma_u^2 + \sigma_v^2 + \sigma_w^2 \right)$$

The total kinetic energy of the turbulent flow is larger than that of a laminar flow with the same mean wind velocity!



TURBULENT KINETIC ENERGY



- Area below the curve ~ TKE
 - Distribution of TKE by frequency / vortex size



TURBULENT KINETIC ENERGY SPECTRUM



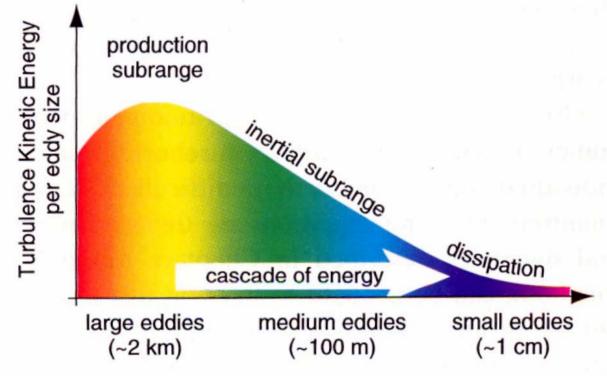
Big whorls have little whorls

That feed on their velocity,

And little whorls have lesser whorls

And so on to viscosity.

(Lewis F. Richardson*, 1922)



Large vortices in the atmosphere fall a part to smaller ones.
At the end, smallest vortices dissipate their kinetic energy to heat. (because real flows are viscous)

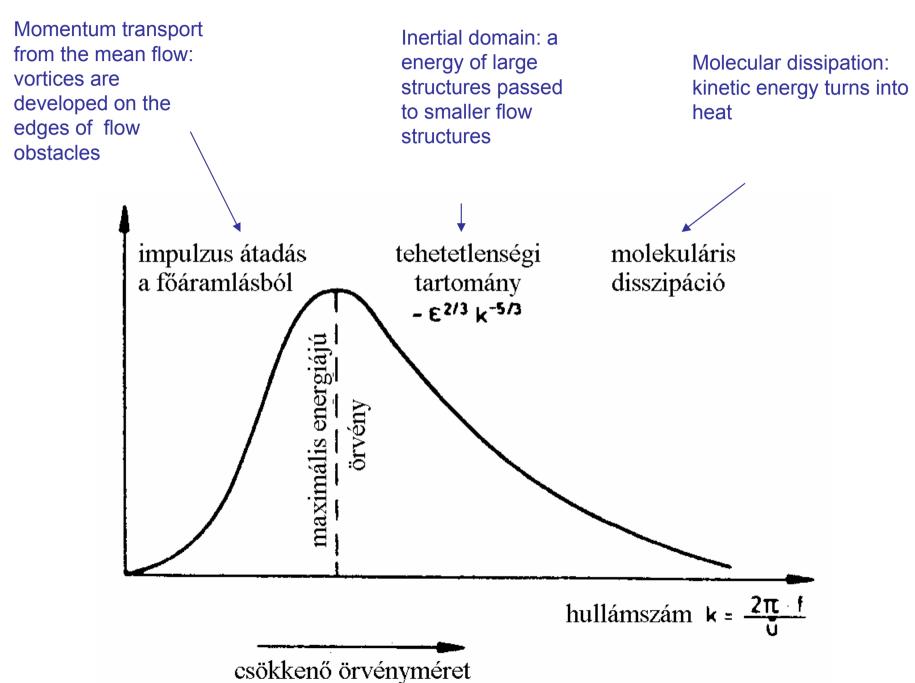
The spectrum of winf is formed by this mechanism to a typical shape.

Turbulent energy cascade

^{*}English mathematician, physicist, meteorologist (1881-1953), who created the concept of numerical weather prediction

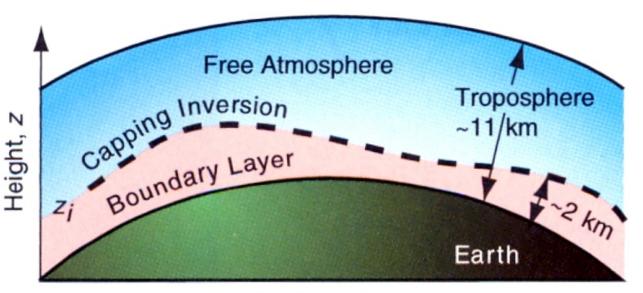


TURBULENS KINETIKUS ENERGIA SPEKTRÁLIS MEGOSZLÁSA





THE ATMOSPHERIC BOUNDARY LAYER



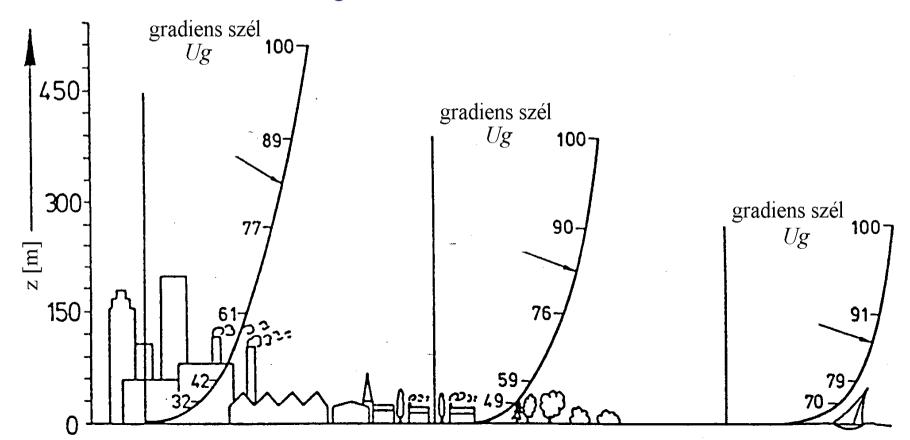
Horizontal distance, x

The planetary boundary layer (PBL), also known as the atmospheric boundary layer (ABL), is the lowest part of the atmosphere and its behavior is directly influenced by its contact with a planetary surface. Heat, momentum and moisture transport between earth and atosphere occurs in the ABL. Flow in the ABL is mostly turbulent, transport is done by turbulent vortices (turbulent diffusion).



THE ATMOSPHERIC BOUNDARY LAYER

- Driving force: free atmosphere, gestrophic or cyclonic winds
- On the surface : velocity = 0
- Thermal convection
- Surface roughness and elevation has major influence on its shape and thickness
- Thickness can vary in time (time scale ≤ 1day)
- 3D flow w cannot be neglected





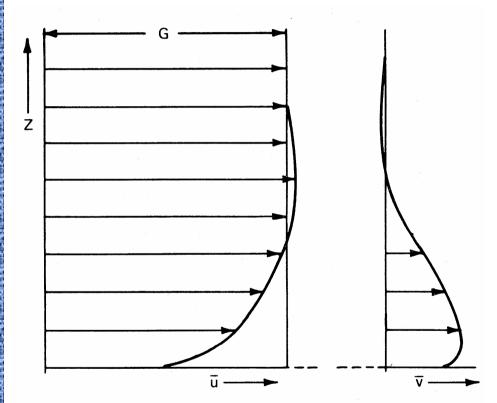
EKMAN LAYER



Geostrophic wind,

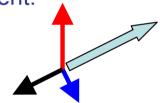
acting forces: Coriolis and pressure gradient force,

flow || isobars



$$fV_{g} - \frac{1}{\rho} \frac{\partial p}{\partial n} = 0$$

- Friction on the surface \Rightarrow V < V_g
- Coriolis-force smaller ⇒ wind direction deflected towards the pressure gradient.



Max.deflection: 45°

Momentum equations:

$$\mbox{\boldsymbol{x}}: \qquad \frac{1}{\rho}\frac{\partial p}{\partial n} = f\boldsymbol{U} + \frac{\partial \left(\overline{\boldsymbol{v}'\boldsymbol{w}'}\right)}{\partial z} \label{eq:power_equation}$$

Y:
$$0 = fV + \frac{\partial (\overline{u'w'})}{\partial z}$$



FRIDTJOF NANSEN'S EXPEDITION WITH FRAM (1893-1896)



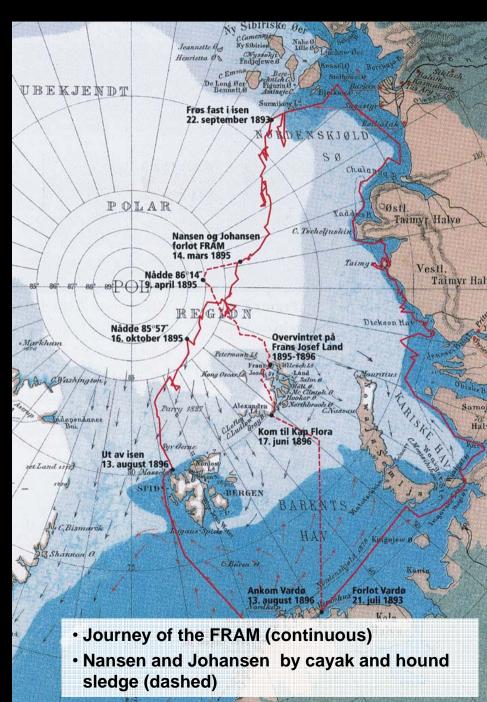
The 'Fram' in the ice



Nansen (1861-1930)

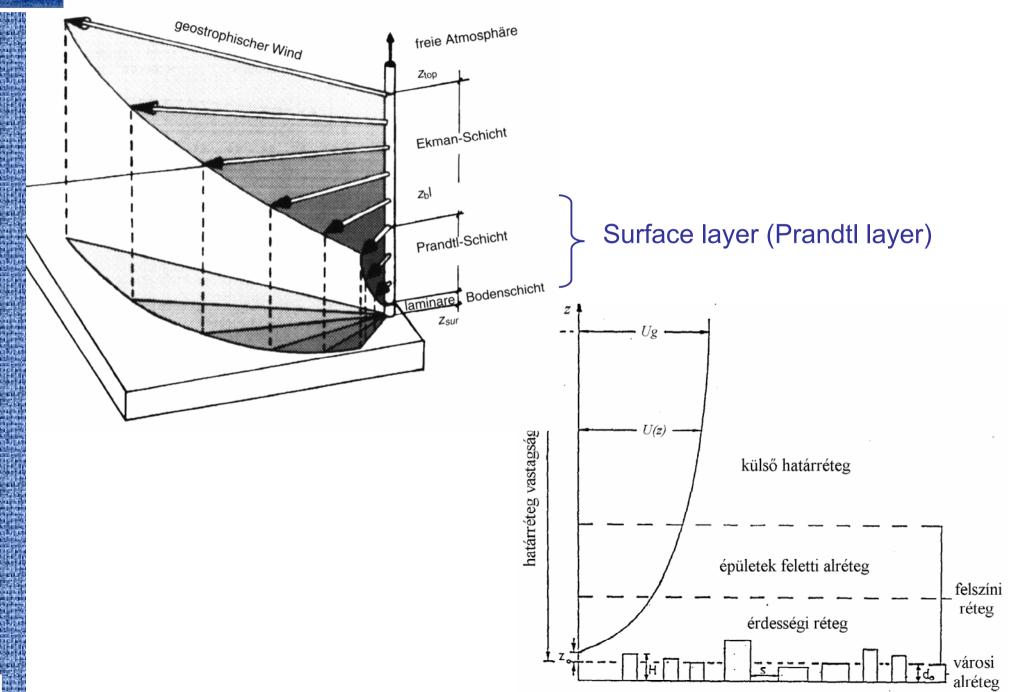
60

'Fram's cross-section





EKMAN-SPIRAL, SUBLAYERS

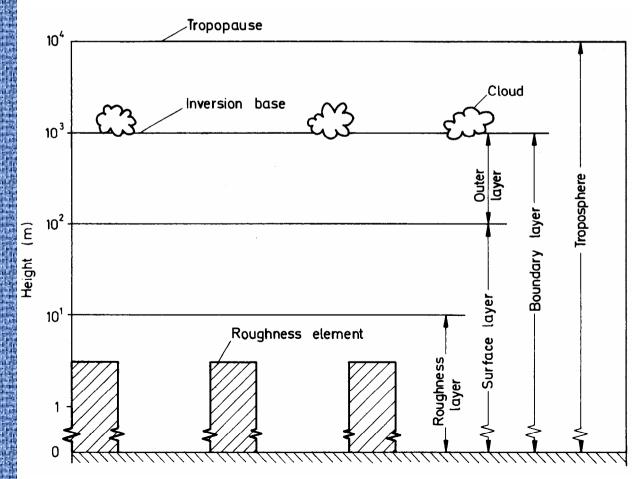




BOUNDARY LAYER STRUCTURE ABOVE ROUGH TERRAIN

boundary layer thickness ~ 10% of troposphere width,

~ 1 km, but can vary between 200 m - 5 km



Surface layer: wind speed, temperature change with height.

Turbulence induced by surface roughness / obstacles and thermal convection

constant flux of mass heat etc.

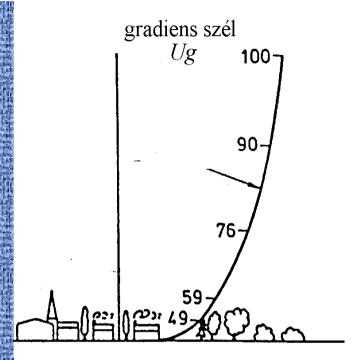
Wind direction approximately constant

Typical height: 50 m, can vary between 5-200 m

roughness or canopy layer: wind speed influenced strongly by buildings, groves trees: chaotic (3D) dominance of turbulent movement.



LOGARITHMIC BOUNDARY LAYER PROFILE



 $\Box \tau$ constant in the surface layer

$$\frac{\tau}{\rho} = \overline{u'w'} = (u^*)^2 = \text{áll.}$$

u* - friction velocity

(fictitious quantity with velocity dimension)

 Turbulent momentum exchange between layers:

$$\frac{\tau}{\rho} = \overline{\mathbf{u'w'}} = \mathbf{K}_{\mathbf{M}} \frac{\partial \overline{\mathbf{u}}}{\partial \mathbf{z}}$$

- K-theory: shear stsess proportianal to the gradient of the mean wind profile
- Turbulent vortices cause an additional viscosity (turbulent viscosity)

$$K_{\rm M} >> v$$

 K_M not constant, and can be determined using turbulence models

$$\mathbf{K}_{\mathbf{M}} = \kappa \cdot \mathbf{u}^* \cdot \mathbf{z}$$

 $K_{M} = \kappa \cdot u^{*} \cdot z \qquad \begin{array}{l} \text{Simple assumption: Km} \Rightarrow 0 \\ \text{at the surface} \end{array}$ κ – Kármán-constant = 0.41

$$\frac{\mathbf{u}^*}{\kappa \mathbf{z}} = \frac{\partial \mathbf{u}}{\partial \mathbf{z}} \longrightarrow \overline{\mathbf{u}}(\mathbf{z}) = \frac{\mathbf{u}^*}{\kappa} \cdot \ln(\mathbf{z}) + \mathbf{K}$$



LOGARITHMIC BOUNDARY LAYER PROFILE

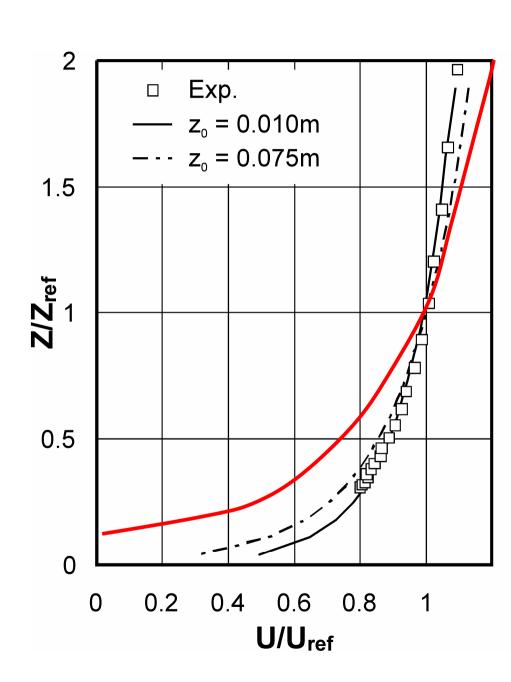
$$\overline{\mathbf{u}}(\mathbf{z}) = \frac{\mathbf{u}^*}{\kappa} \cdot \ln \left(\frac{\mathbf{z}}{\mathbf{z}_0} \right)$$

z₀ – roughness length

$$\frac{\overline{u}(z)}{u^*} = \frac{1}{\kappa} \cdot \ln(\frac{z - d_0}{z_0})$$

d₀ – displacement height (if the whole boundary layer is shifted upwards)

• d_0 + In z_0 at $U/U_{ref} = 0$



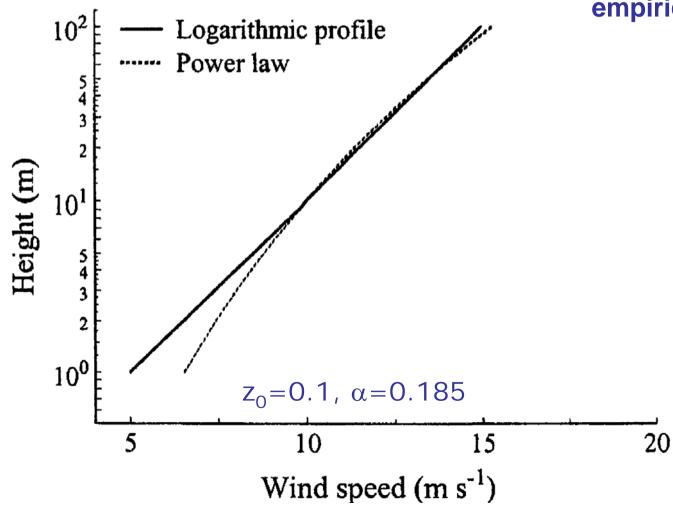


LOG-LAW AND POWER LAW WIND PROFILES

$$\frac{\overline{u(z)}}{u_*} = \frac{1}{\kappa} \cdot \ln(\frac{z - d_0}{z_0})$$

$$\frac{\bar{u}(z)}{u_{ref}} = \left(\frac{z - d_0}{z_{ref} - d_0}\right)^{\alpha}$$

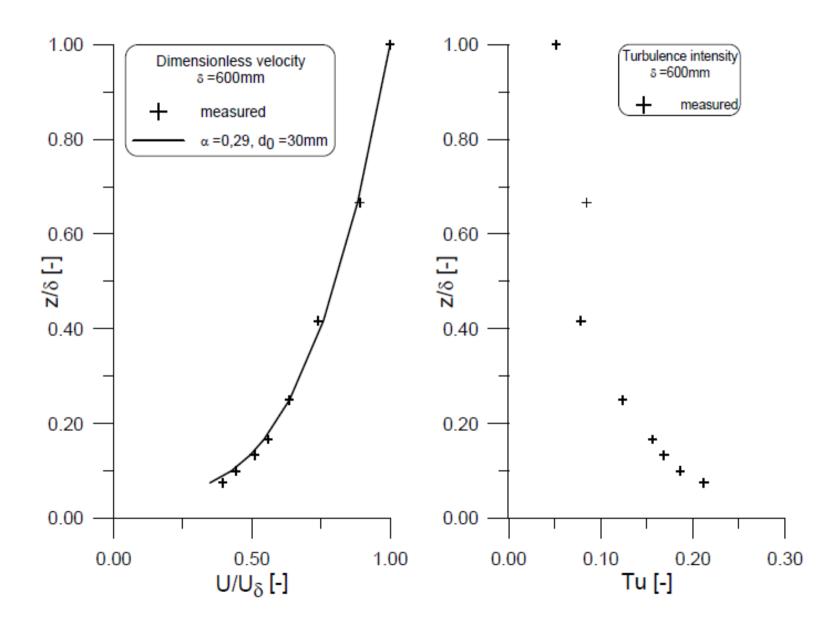
empirical power function





LOG-LAW AND POWER LAW WIND PROFILES

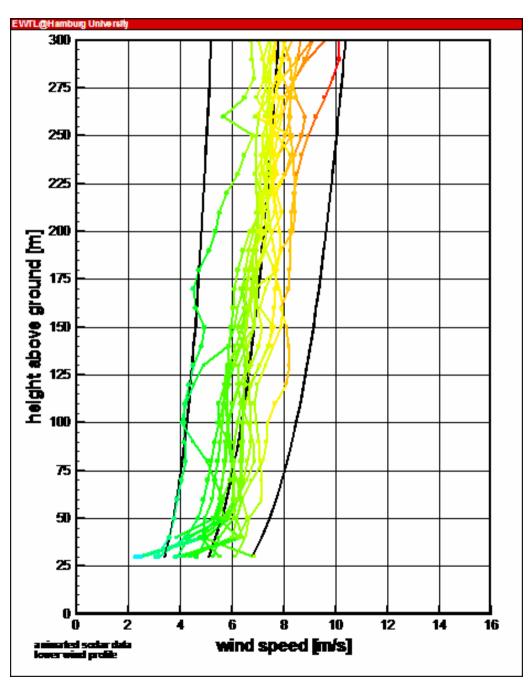
Power law wind profiles measured in wind tunnel





WIND PROFILES FROM ON-SITE MEASUREMENTS







PROFILE PARAMETERS







Forrás: http://earthobservatory.nasa.gov /Laboratory/Biome/Images/picgra ssland.jpg



Forrás: http://www.aerometrex.com.au/Ad elaideMetro/Suburban_Adelaide.jpg

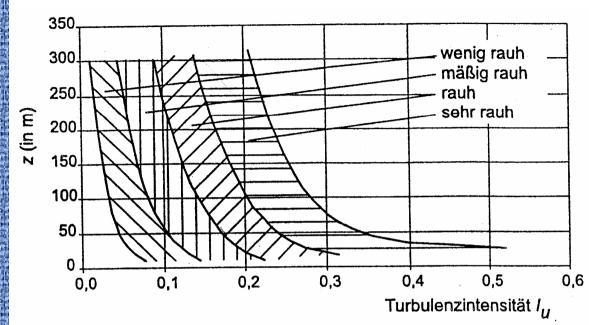


Forrás: http://www.usatravel.hu/fckep/Image /Missouri/.thumb_Kansas_City.jpg

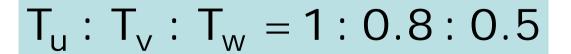
	Surface category	smooth	medium	rough	very rough
所以" <u>有</u> "	description	Ice, snow, calm water	Farmland, grass	Suburban area, groves	Forests, urban area
	z ₀ [m]	10 ⁻⁵ − 5·10 ⁻³	5·10 ⁻³ – 10 ⁻¹	0.1 – 0.5	0.5 - 2
	a [-]	0.08 - 0.12	0.12 – 0.18	0.18 - 0.24	0.24 - 0.4
	d ₀ [m]	≈0	≈0	≈0.75·h	≈0.75·h

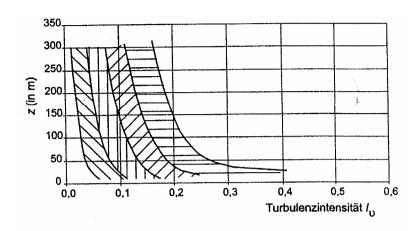


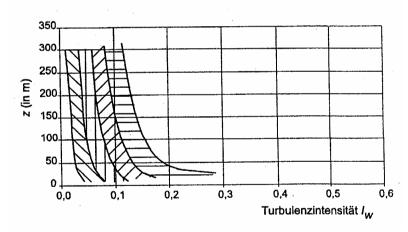
TURBULENCE INTENSITY IN THE ATMOSPHERIC BOUNDARY LAYER



$$\sigma_u = 2,45 \div 2,5 \cdot u_*$$





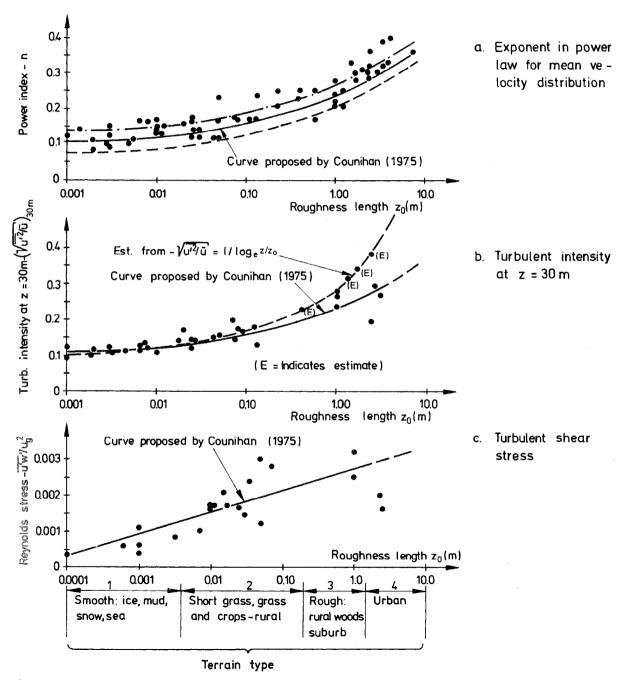


$$\sigma_v = 2.2 \cdot u_*$$

$$\sigma_w = 1.25 \cdot u_*$$



PROFILE PARAMETERS



$$\frac{\overline{u(z)}}{u_{ref}} = \left(\frac{z - d_0}{z_{ref} - d_0}\right)^{\alpha}$$

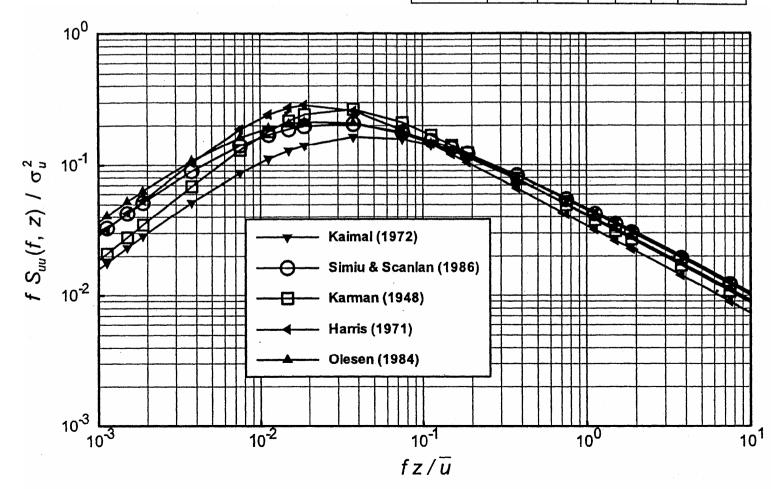
$$T_{u} = \frac{\sigma_{u}}{u}$$

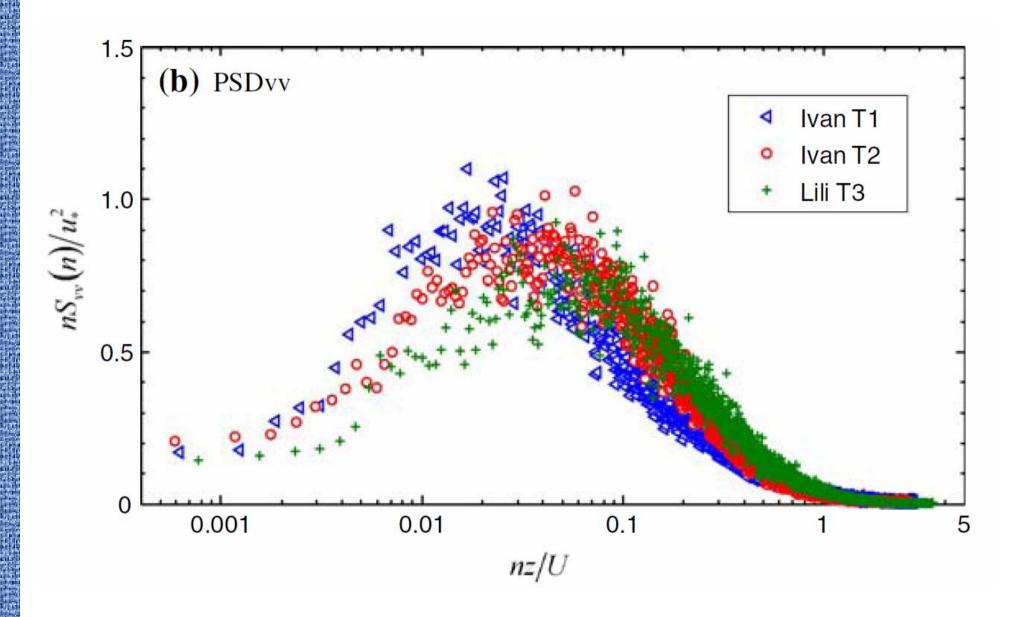


WIND SPECTRA

$$\frac{f \cdot S_{uu}(f, z)}{\sigma_u^2(z)} = \frac{A \cdot f_{red}}{\left(E + B \cdot f_{red}^C\right)^D}$$

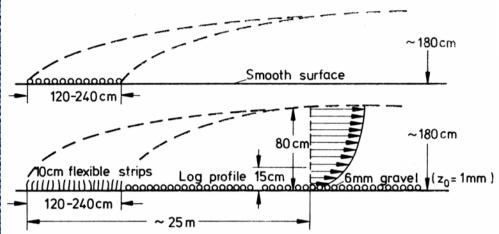
Approxima- tionskon- stanten	А	В	С	D	E	f _{red}
Kaimal (1972)	16,8	33,0	1	5/3	1	$\frac{f \cdot z_{\text{ref}}}{u_{\text{ref}}}$
Simiu, Scanlan (1986)	32,0	50,0	1	5/3	1	$\frac{f \cdot z_{\text{ref}}}{u_{\text{ref}}}$
Von Kármán (1948)	4,0	70,78	2	5/6	1	$\frac{f \cdot L_{ux}}{u_{ref}}$
<i>Harris</i> (1971)	0,64	1,0	2	5/6	2	1800· f u ₁₀
Oleson (1984)	40,42	60,62	1	5/3	1	$\frac{f \cdot z_{\text{ref}}}{u_{\text{ref}}}$



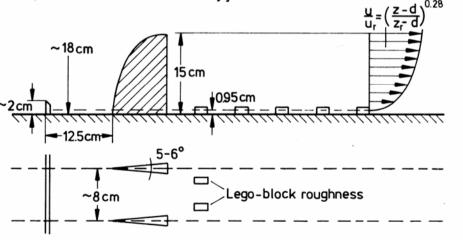




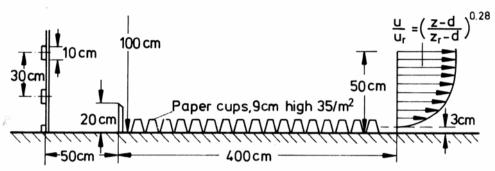
BOUNDARY LAYER GENERATION IN WIND TUNNELS



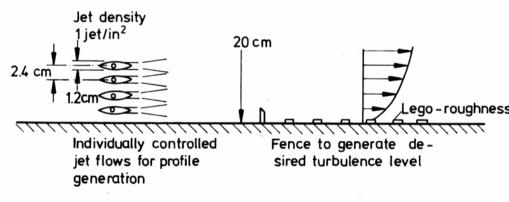
 a. Boundary layer generation along test section floor (Colorado State University, 1963)



b. Boundary layer generation with vortex generators (Counihan,1971



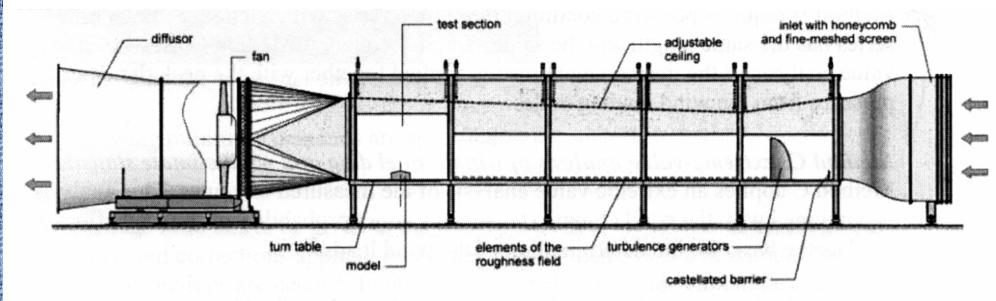
:. Boundary layer generation with fence (Cook, 1973)



d. Boundary layer generation with jets (Teunissen, 1974)



BOUNDARY LAYER GENERATION IN WIND TUNNELS



Open section wind tunnel of the Ruhr University in Bochum, Germany

- Confuser
- 2. Turbulence generators
- 3. Roughness elements
- 4. Adjustable roof
- 5. Flow preparation section
- 6. Measurement section model on turntable
- 7. Fan
- 8. Diffuser



BOUNDARY LAYER GENERATION IN WIND TUNNELS



test section	closed
preparation section length [m]	5 or 7
measurement section length [m]	2

measurement section width [m]

measurement section height [m]

max. wind speed [m/s]

inlet turbulece intensity [%]

2.2

1.4

22

0.5